

A^+ RICH COUNTER

P.S. COOPER

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In this note I consider a design for a RICH (Ring Imaging Cherenkov Counter) to identify the K^- from $A^+ \rightarrow \Lambda^0 K^- \pi^+ \pi^+$ at the trigger level. I discuss here single particle response of the counter and a possible scheme for a K^- trigger within 10 μ sec of the event. I have not yet studied multi-particle response in detail, nor have detailed mechanical, optical or electronic designs been made.

Counter Design

Recall from my previous note⁽¹⁾ that all accepted K^- from the A^+ decay fall in the angular range after the first spectrometer:

$$\begin{aligned} -25 &\leq \theta_x^{K^-} (\text{mrad}) \leq -5 \\ -6 &\leq \theta_y^{K^-} (\text{mrad}) \leq 6 \end{aligned}$$

$$40 \leq P^{K^-} (\text{GeV/c}) \leq 200$$

The positions of the K^- at the Z of the RICH mirror are:

$$\begin{aligned} -50 &\leq X^{K^-} (\text{cm}) \leq -10 \\ 15 &\leq Y^{K^-} (\text{cm}) \leq 15 \end{aligned}$$

The usual Cherenkov equations are:

$$\delta = \delta_0 \beta ; \quad \delta = m - 1 \quad \delta_0 = 293 \times 10^{-6} / \text{atm} \quad \text{for } N_2 \quad (1)$$

$$\theta_c = \sqrt{\beta^2 - 1/\gamma^2} \quad \gamma = E^{K^-}/M^{K^-} \quad (2)$$

$$N_{pe} = A L \theta_c^2 \quad A = 100 \text{ photo-electrons/cm} \quad (3)$$

L = Counter Radiation Length

(1) "Design Study for a Strange Charmed Baryon Beam Experiment", P.S. Cooper, June 15, 1984.

I choose for parameters:

$$A = 100 \text{ Pe/cm} \quad (\text{we got } A = 140 \text{ Pe/cm with the E-715 counter})$$

$$L = 10 \text{ m} \approx 1000 \text{ cm}$$

$$P = 0.17 \text{ atm of } N_2$$

This gives:

$$\gamma_{\text{threshold}} = 100 \quad (E_K \approx P_K \approx 50 \text{ GeV/c})$$

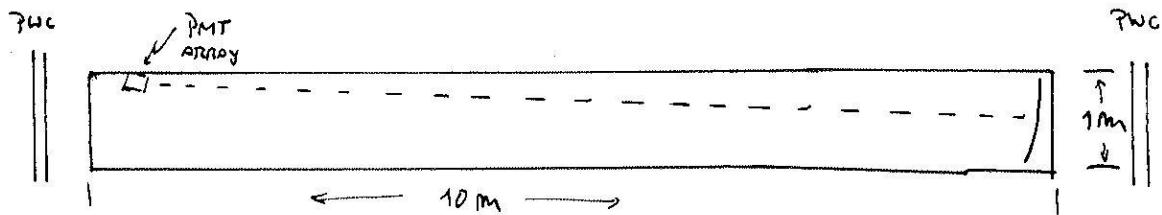
$$\left. \begin{array}{l} N_{\text{Pe}}^{\text{max}} = 10 \\ \theta_c^{\text{max}} = 10 \text{ mrad} \end{array} \right\} \text{for a fast particle } (\gamma \gg \gamma_{\text{threshold}})$$

The photon detector I have in mind is a ~ 500 phototube array of $1/2$ inch HAMAMATSU R-760 Tubes arranged hexagonally close packed. These tubes have the following properties

SPECTRAL RESPONSE	160 \sim 650 nm	
DYNODES	10 in line	1250 VOLTS MAX 1000V TYPICAL
QUANTUM EFF.	25%	TYPICAL
PRICE	\$136	IN LOTS OF 100 <u>WITH</u> BASE
DIAMETER	18.5 \pm .5 mm	
PHOTOCATHODE DIAMETER	10.0 mm	

This is essentially identical to the C3100M RCA Tubes we used in E715 & E-497. The gain is somewhat lower. Typical output pulses went a 10 mV threshold discriminator.

Physically the counter is 10 m + long \sim 1 m in diameter with a single 36" spherical mirror. Essentially just like the E-715 counter only a little bigger.



SINGLE PARTICLE Response

I have MONTE-CARLOED THE RESPONSE OF THE COUNTER USING THE K^- TRACKS FROM REF (1). EACH TRACK IS RUN TWICE, ONCE AS A K-ON AND ONCE AS A PION. PHOTON-ELECTRONS ARE GENERATED POISSON DISTRIBUTED IN NUMBER WITH MEAN GIVEN BY EQUATION (3) FOR EACH TRACK. RECALL THAT IN THE FOCAL PLANE OF A SPHERICAL MIRROR:

$$R = f\theta \quad (4)$$

WHERE θ IS THE INCIDENT POLAR ANGLE A RAY MAKES WITH RESPECT TO THE OPTIC AXIS AND R IS THE DISTANCE FROM THE AXIS IN THE FOCAL PLANE (f IS THE FOCAL LENGTH). FOR CONVENIENCE I WORK WITH UNIT FOCAL LENGTH SO THAT R IS MEASURED IN MRAD:

$$R = \sqrt{(\theta_x - \theta_x^0)^2 + (\theta_y - \theta_y^0)^2} \quad (5)$$

WHERE θ_x^0, θ_y^0 IS THE OPTIC AXIS IN THE EXPERIMENTAL COORDINATE SYSTEM. WITH A FOCAL LENGTH $f = 13.5$ m EACH PHOTOTUBE COVERS 1 MRAD.

I DON'T TRY TO MATCH THE PHOTON FLUX TO THE 10 mm ϕ PHOTOCATHODES, PHOTON WHICH MISS THE CENTER OF A PHOTOTUBE BY MORE THAN 5 mm ARE LOST. THIS IS AN OBVIOUS IMPROVEMENT - THE LOST PHOTODETECTIONS ARE ABOUT $1/2$ OF THE TOTAL FLUX.

FOR EACH DETECTED PHOTON-ELECTRON I CALCULATE R ; THE ANGULAR DISTANCE FROM THE TRACK (LIKE IN EQUATION (5) ABOVE). THE TRACK ANGLES ARE THOSE MEASURED BY THE SURROUNDING PWC'S AND THE PHOTON-ELECTRON ANGLES ARE GIVEN BY THE COORDINATES OF THE CENTER OF THE HIT PHOTOTUBE. THE AVERAGE OVER ALL DETECTED PHOTON-ELECTRONS (\bar{R}) IS THEN CALCULATED.

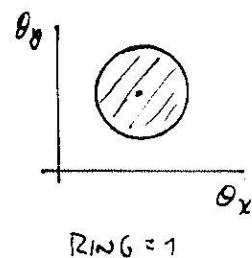
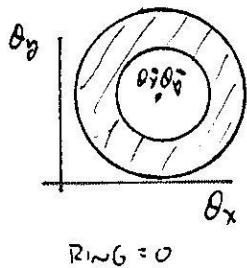
IN FIGURE 1 I PLOT \bar{R} VERSUS THE MOMENTUM OF THE TRACK. THE UPPER BAND IS FOR THE TRACKS AS π 'S THE LOWER AS K 'S. SEPARATION IS CLEAR UP TO 160 GeV BY EYE (THERE ARE 1288 TRACKS FOR EACH PARTICLE TYPE). CUTTING AT 80 GeV TO REMOVE THE REGION OF THE π^+ BAND WHERE $\bar{R} < 1$ AND PROJECTING TO MAKE AND \bar{R} DISTRIBUTION GIVES FIGURE 2. A CUT AT $\bar{R} < 0.97$ KEEPS ALMOST ALL OF THE K^- AND REJECTS 95% OF THE π^+ 'S.

IN FIGURE 3a IS SHOWN THE WHOLE K^- MOMENTUM SPECTRUM (SOLID) AND THOSE K^- WITH $\bar{R} < 0.97$ (DASHED). THE RATIO OF THESE TWO DISTRIBUTIONS, SHOWN IN FIGURE 3b, IS THE K^- DETECTION EFFICIENCY VS MOMENTUM. NOTICE THAT IT IS TYPICALLY 90% AND REASONABLY FLAT OVER ALL MOMENTA.

TRIGGER

Figure 4 shows a schematic of a Readout and Trigger processor for the Phototube array. I assume a track finding processor driven by 8 wire fast OR's from the surrounding PWC's to provide 10 bit $\theta_x \theta_y$ words ($\pm 32\text{mR} x, \pm 8\text{mR} y$, 6 bits, 4 bits) for each negative track. Assume a Do Loop module A) in Tom Nash's E-SIB processor so that the angles of the first track are available while the second is being processed.

Each PMT has a discrimination and two latches the first for readout and the second for the processor. Each channel has a 2k memory the output of which is ANDed with the latched PMT output. The address of all memories is provided by the 10 bit $\theta_x \theta_y$ word plus 1 bit call ring. The patterns stored in the memories are shown below



For $\text{Ring}=0$ a memory has a 1 for a given $\theta_x \theta_y$ if that PMT is in the angular range $.95 < R/R_{\text{MAX}} < 1.05$. For $\text{Ring}=1$; $R/R_{\text{MAX}} < .95$.

The search for kaon candidates proceeds in two passes. First, with $\text{Ring}=0$ the number of hits in the pion ring for a given track is summed, system wide. The time for this using the TTL chips I've shown is about 500 nsec. If the number of hits found is above a cut a clear signal is generated removing all the hits associated with the pion. If not a pion the address is saved in another do loop module A) a kaon candidate. After all tracks are checked as pions any kaon candidate are checked with $\text{Ring}=1$ to eliminate bad tracks from the track finder.

The whole process can be done in ~10 μsec on about 10% deadtime assuming every interaction (10 kHz) is processed.

CONCLUSIONS

I believe the above is a very promising candidate for a K^- trigger in the 50 - 200 GeV/c momentum range. The total cost of the device is estimated below.

Mechanical + Gas System	20 k
OPTICS	10 k
PMTs + HV (512 Tubes)	75 k
Electronics (\$100/channel)	50 k
	<hr/> 155 k

More design is clearly called for. Particularly a study of multiparticle response and better engineering are called for.

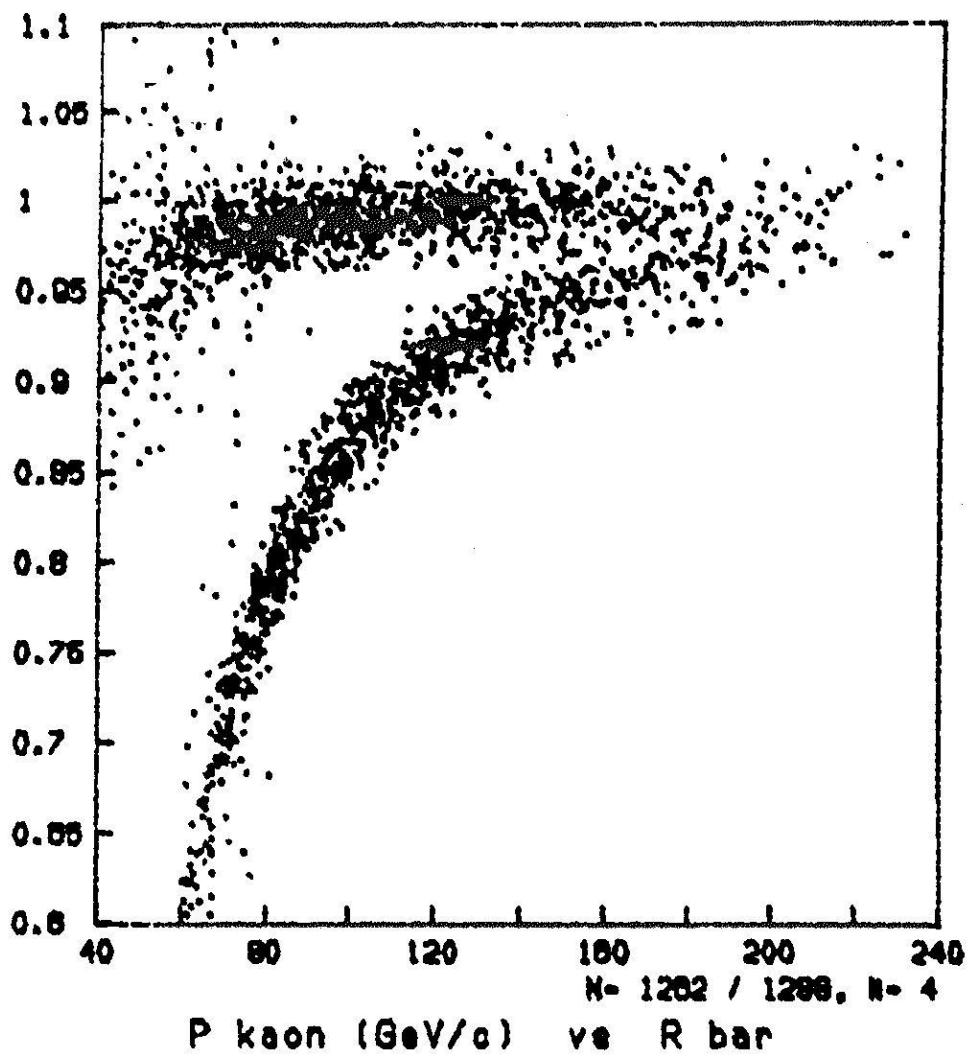


FIGURE 1: $\bar{R} / \bar{R}_{\text{MAX}}$ FOR TRACKS VS MOMENTUM. UPPER BAND
IS π^- , LOWER K^- . NOTE SUPPRESSED ZERO.

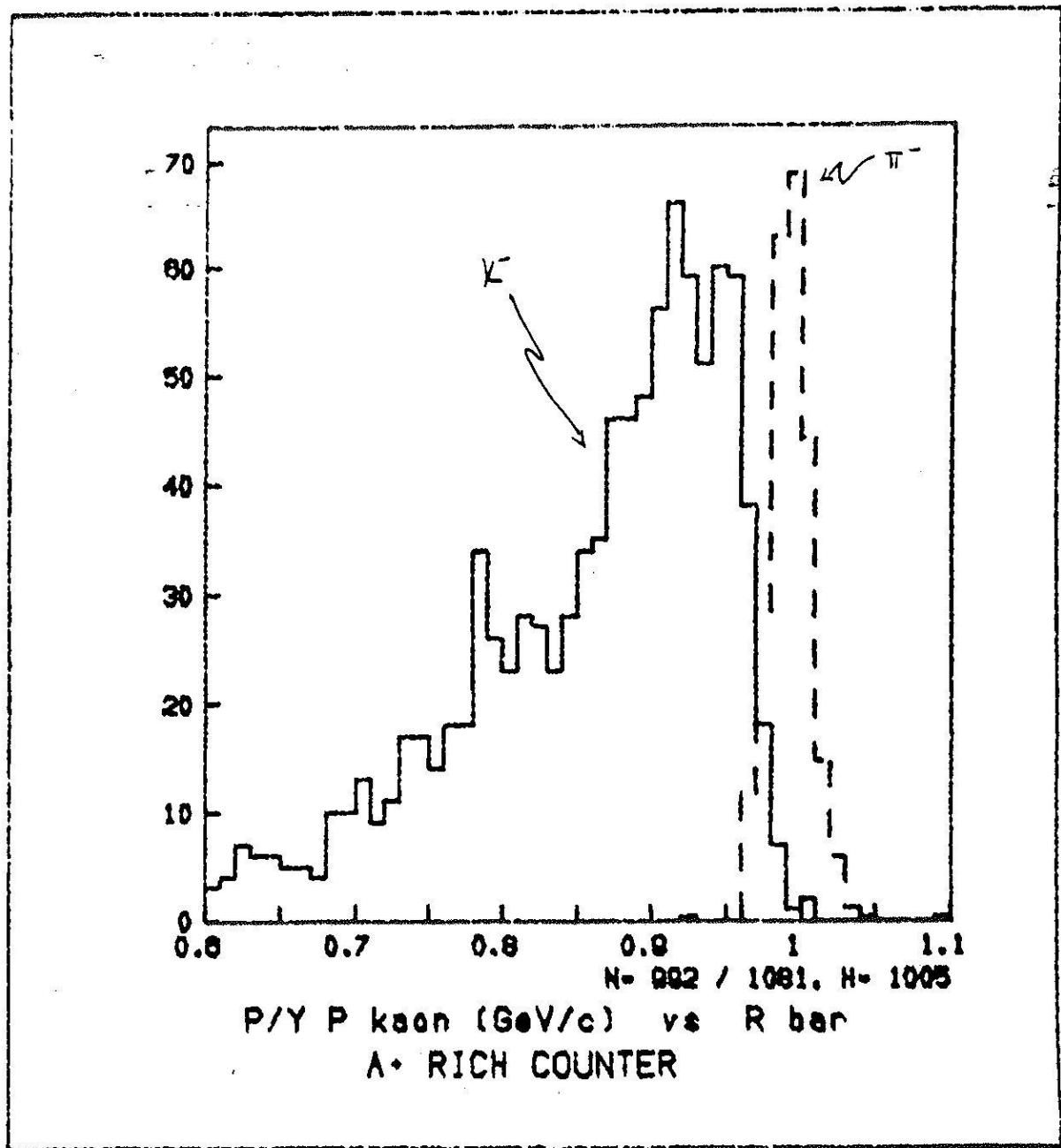


Figure 2: dN/dx vs $x = \bar{R}/\bar{R}_{MAX}$ For π^-/π^+ with $P > 80$ GeV/c

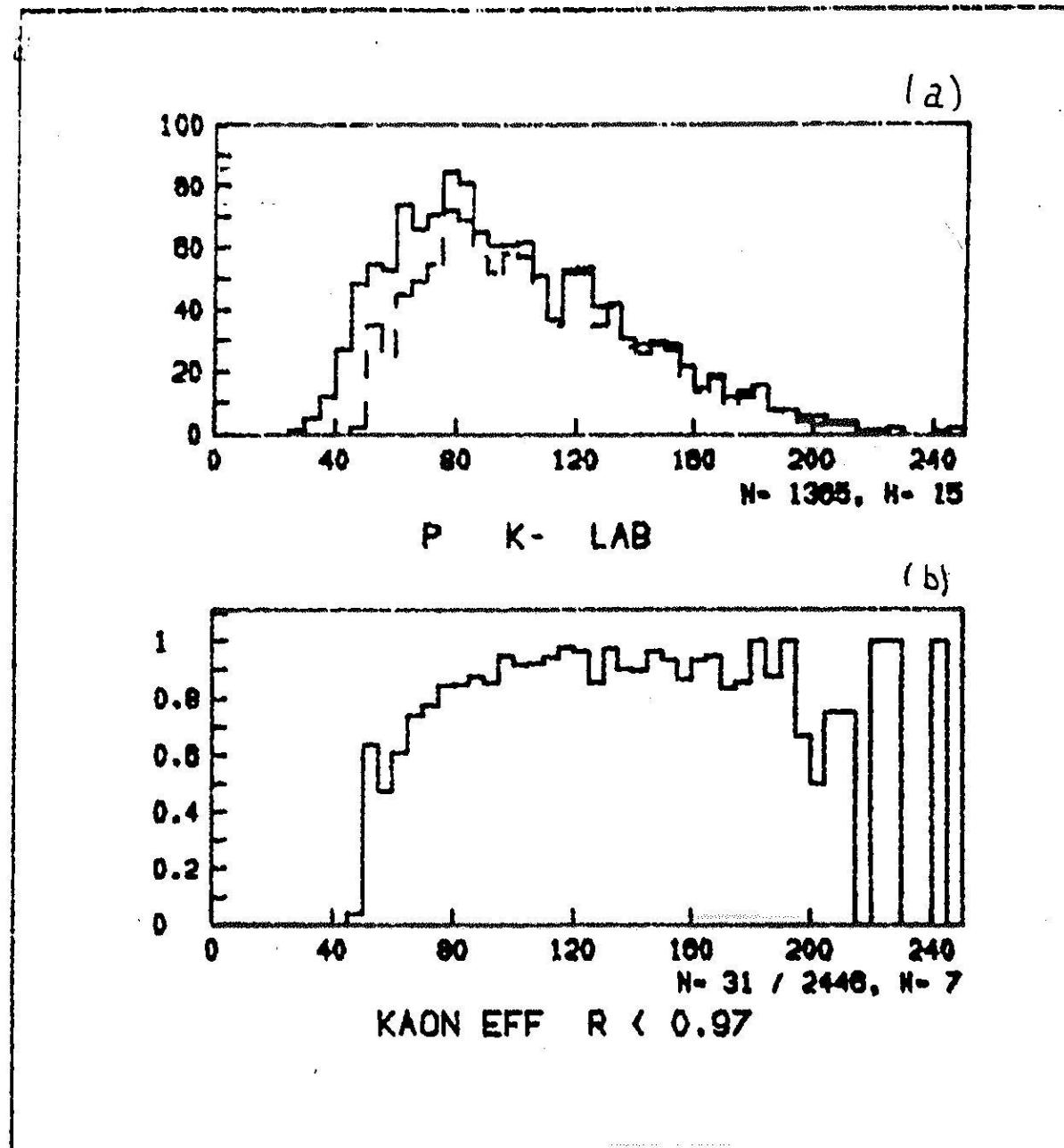


FIGURE 3: (a) K^- momentum for all accepted K^- and detected K^- (dashed) vs P_{K^-}
 (b) Ratio of above - efficiency to detect K^- vs P_{K^-}

A⁺ RICH Trigger Processor

PSC 8-Nov-84

16 CHANNELS / MODULE 32 MODULES / SYSTEM

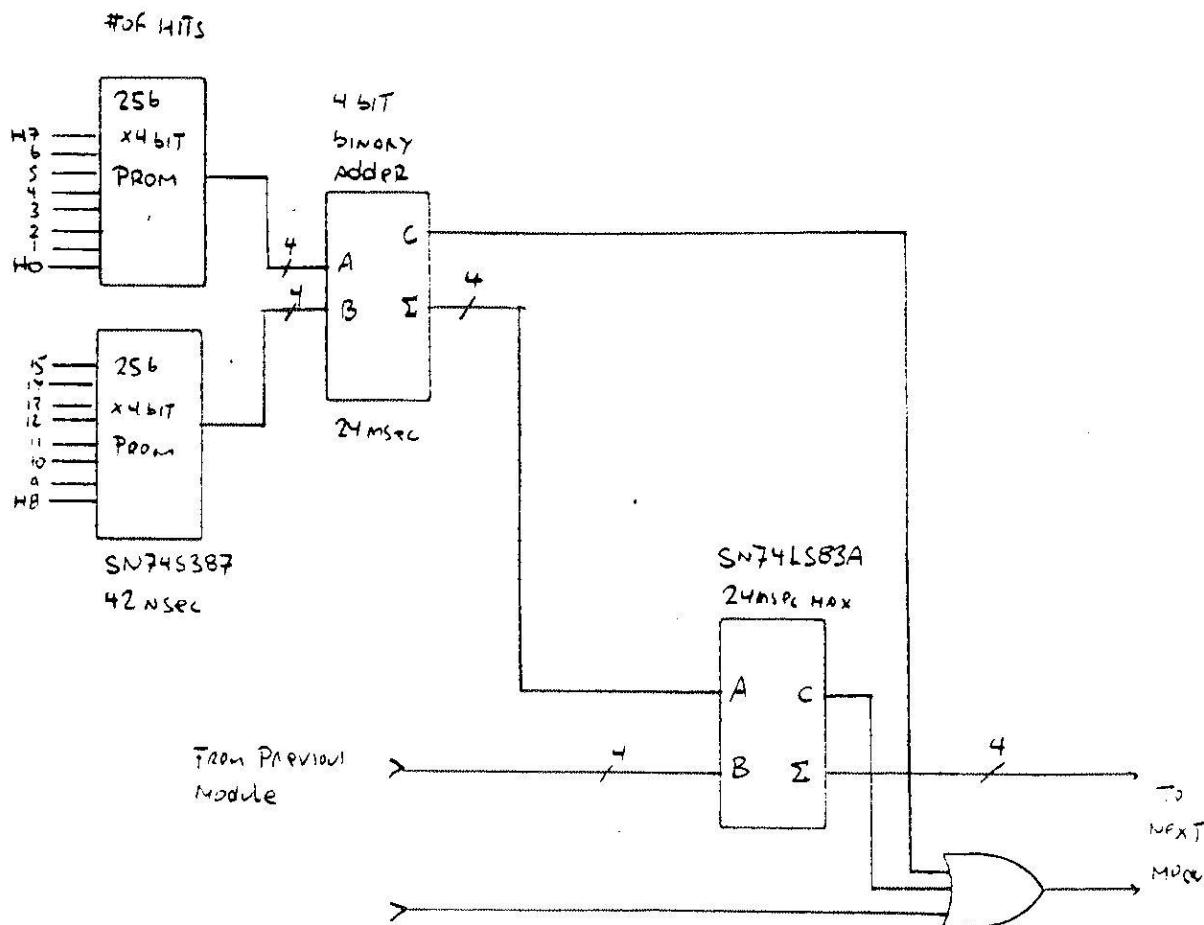
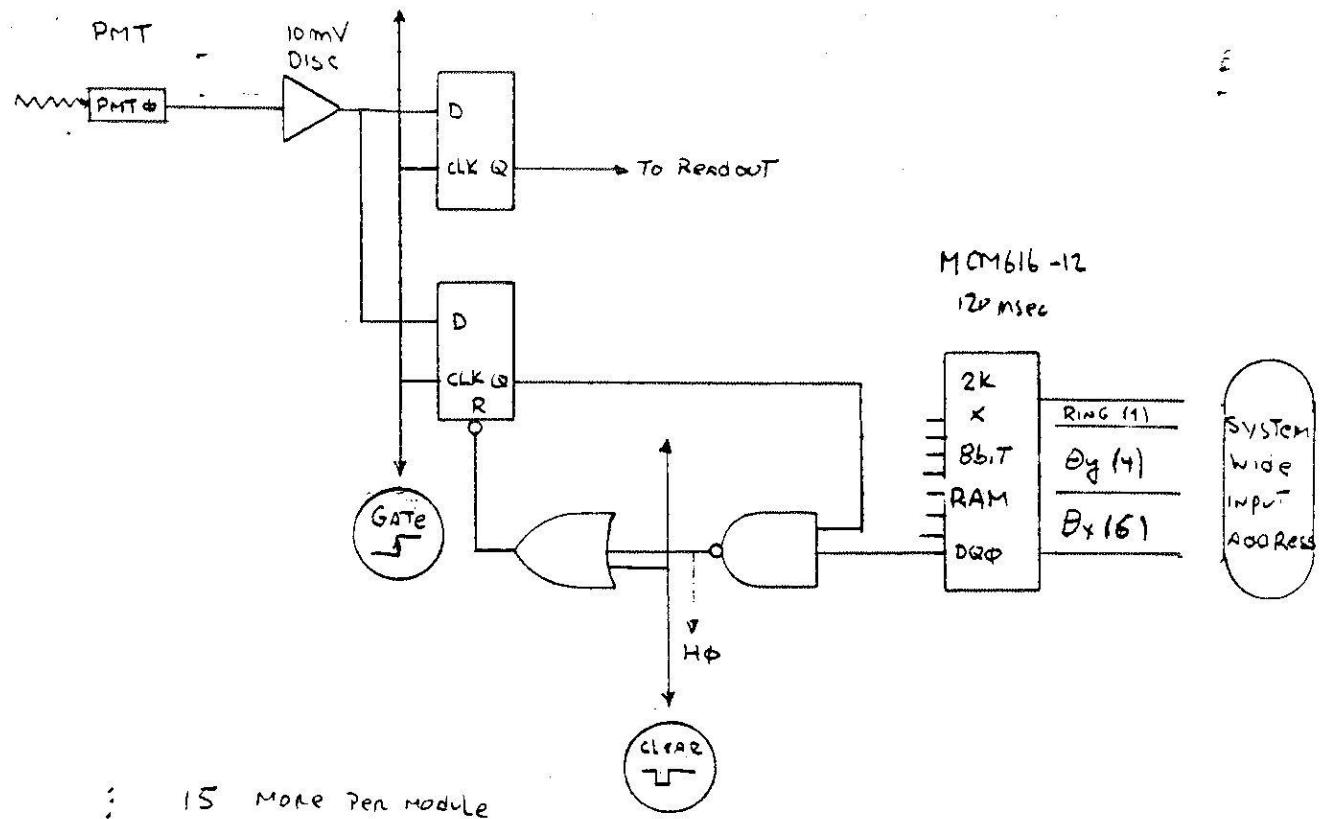


FIGURE 4